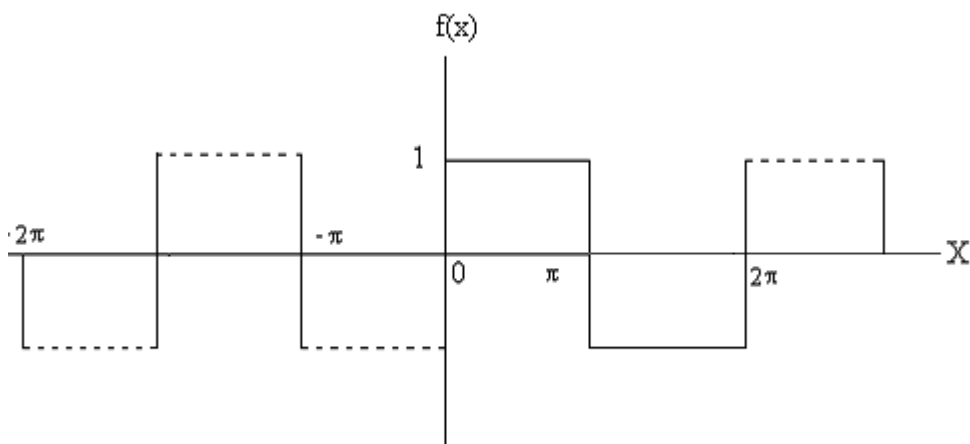


a.)

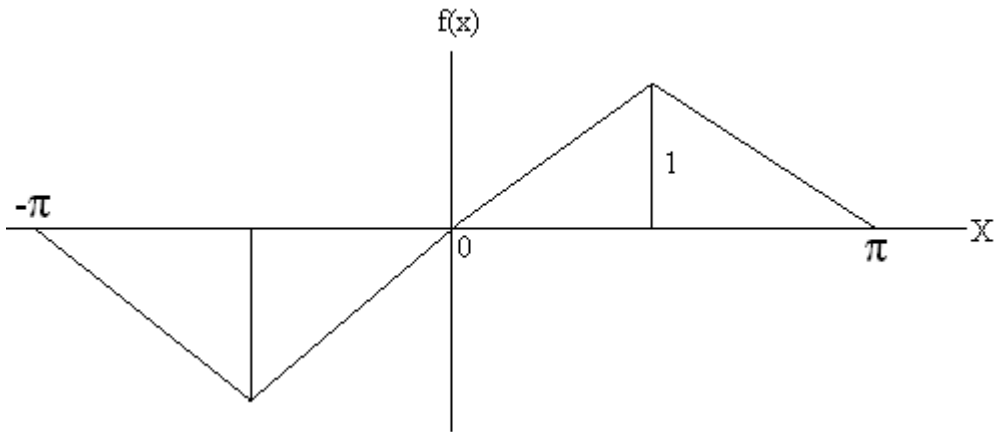


It can be shown that above periodic function can be written as,

$$f(x) = (4/\pi) [\sin x + (\sin 3x)/3 + (\sin 5x)/5 + \dots]$$

Test the validity of the above expression by plotting $(4/\pi) [\sin x + (\sin 3x)/3 + (\sin 5x)/5 + \dots]$, vs. x from x=0 to x=2π.

b.)



It can be shown that above periodic function can be written as

$$f(x) = (8/\pi^2) [\sin x - (\sin 3x)/3^2 + (\sin 5x)/5^2 - (\sin 7x)/7^2 + \dots]$$

Test the validity of the above expression by plotting $(8/\pi^2) \sin x$, $(8/\pi^2) [\sin x - (\sin 3x)/3^2]$, etc.

c.)

A,B,C.....N are nine points on a circle that makes a regular polygon. Coordinates of the center of the circle is (1,1) and its radius is 8. P(5,5) is a point inside the polygon while Q(20,20) is point outside the polygon.

- a. Compute the coordinates of vertices of the polygon using the **Table** command in **Mathematica**. P(5,5) is a point inside the polygon while Q(20,20) is point outside the polygon.
- b. Compute the distances AP, BP, CP.....NP and AQ, BQ, CQ.....NQ. Also determine sum of AP, BP, CP.....NP and the sum of AQ, BQ, CQ.....NQ. You may use **Apply**, **Plus** commands in **Mathematica** in the example given below.
- c. Compute the angles that the consecutive vertices subtend at point P.
- d. Compute the sum of the angles mentioned above in c.

- e. Compute the angles that the consecutive vertices subtend at point Q.
- f. Compute the sum of the angles mentioned above in e.
- g. Comment on results that you have obtained for e and f above

You may use the following information in carrying out the above computations

1. The following example illustrates how to use the *Apply,Plus* command

x={1,2,3,4,5,6,7,8,9,10};

Apply[Plus,x]

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2. For a triangle ABC,

$$a^2 = b^2 + c^2 - 2bc \cos A$$

Symbols have their usual meanings.